### **Clustering and DBSCAN – Density-Based Spatial Clustering of Applications with Noise**

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# Outline

- Introduction
- DBSCAN Algorithms
- Evaluation benchmark
- Demo

## Introduction

- Why clustering?
- Limitations of K-mean and other algorithm.
- Density-based Clustering locates regions of high density that are separated from one another by regions of low density.
  - Density = number of points within a specified radius (Eps)

## **Some definitions**

- Core point
- Border point
- Noise point

### DBSCAN

- A noise point is any point that is not a core point or a border point.
- Any two core points are close enough– within a distance *Eps* of one another are put in the same cluster
- Any border point that is close enough to a core point is put in the same cluster as the core point
- Noise points are discarded

### Border & Core



## **Concepts: Reachability**

### **Directly density-reachable**

 An object q is directly density-reachable from object p if q is within the ε-Neighborhood of p and p is a core object.



- q is directly density-reachable from p
- p is not directly densityreachable from q?

# **Concepts: Reachability**

#### **Density-reachable:**

•An object *p* is density-reachable from *q* w.r.t  $\varepsilon$  and *MinPts* if there is a chain of objects  $p_1, \dots, p_n$ , with  $p_1 = q$ ,  $p_n = p$  such that  $p_{i+1}$  is directly density-reachable from  $p_i$  w.r.t  $\varepsilon$  and *MinPts* for all  $1 \le i \le n$ 



*q* is density-reachable from *p p* is not density- reachable from *q*?

asymmetric

# **Concepts: Connectivity**

### **Density-connectivity**

Object p is density-connected to object q w.r.t  $\varepsilon$ and *MinPts* if there is an object o such that both pand q are density-reachable from o w.r.t  $\varepsilon$  and *MinPts* 



- *P* and *q* are density-connected to each other by *r*
- Density-connectivity is symmetric

# **Concepts: cluster & noise**

- Cluster: a cluster C in a set of objects D w.r.t ε and MinPts is a non empty subset of D satisfying
  - Maximality: For all p, q if  $p \in C$  and if q is density-reachable from p w.r.t  $\varepsilon$  and *MinPts*, then also  $q \in C$ .
  - Connectivity: for all  $p, q \in C$ , p is density-connected to q w.r.t  $\epsilon$  and *MinPts* in **D**.
  - *Note:* cluster contains *core objects* as well as *border objects*
- Noise: objects which are not directly densityreachable from at least one core object.

## DBSCAN: The Algorithm

- o elect a point **p**
- Retrieve all points density-reachable from p wrt  $\varepsilon$  and *MinPts*.
- If **p** is a core point, a cluster is formed.
- If *p* is a border point, no points are density-reachable from *p* and
  DBSCAN visits the next point of the database.
- Continue the process until all of the points have been processed.

### DBSCAN: Determining EPS and MinPts

- Histogram analysis
- Supervised validation based on a training set
- OPTIC algorithm

## Evaluation benchmark

- **Homogeneity:** metrics.homogeneity\_score(labels\_true, labels))
- **Completeness:** metrics.completeness\_score(labels\_true, labels))
- **V-measure:** metrics.v\_measure\_score(labels\_true, labels))
- Adjusted Rand Index: metrics.adjusted\_rand\_score(labels\_true, labels)
- Adjusted Mutual Information: metrics.adjusted\_mutual\_info\_score(labels\_true, labels)
- **Silhouette Coefficient:** metrics.silhouette\_score(X, labels))

## Evaluation



## Demo

#### Reference

[1] Sander, Jörg, et al. "Density-based clustering in spatial databases: The algorithm gdbscan and its applications." Data mining and knowledge discovery 2.2 (1998): 169-194.

[2] scikit-learn.org

[3]http://home.iitk.ac.in/~arpanm/cs365/ProjectPPT\_ar pan/DBSCAN.ppt