

# Advanced Computer Networks

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# Outline

Introduction

Radio channel effects

Security from RF

Security from noise

Secure keys from ambient audio

Conclusion

## Motivation

Spontaneous authentication among mobile devices remains an unsolved problem in Mobile security.



## Motivation

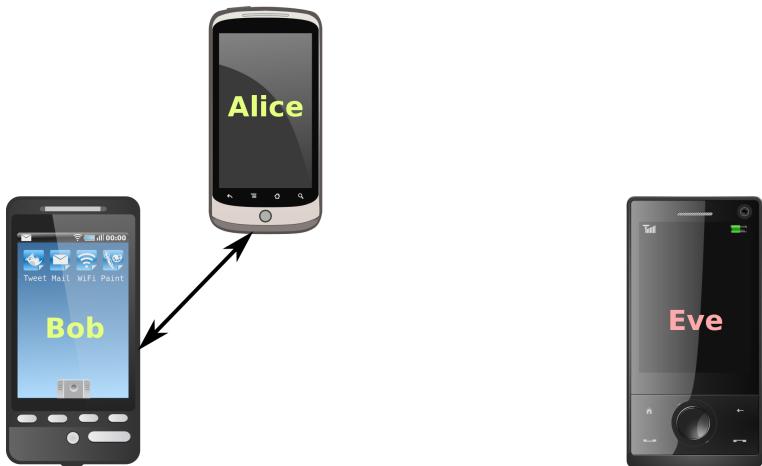
Spontaneous authentication among mobile devices remains an unsolved problem in Mobile security.





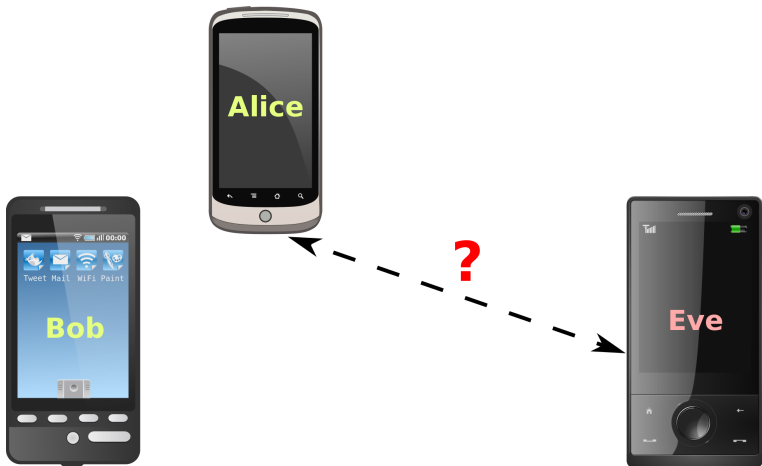
## Motivation

Spontaneous authentication among mobile devices remains an unsolved problem in Mobile security.



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Spontaneous authentication among mobile devices remains an unsolved problem in Mobile security.



## This lecture

- Effects of the radio channel
- Utilising RF information for authentication and security
- Fuzzy cryptography

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# Aspects of the mobile radio channel

## RF transmission

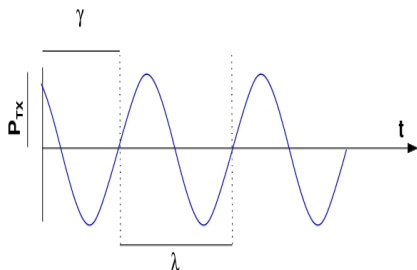
- Electromagnetic signals
- Transmitted in wave-Form
- Omnidirectional transmission
- Speed of light
  - $c = 3 \cdot 10^8 \frac{m}{s}$



# Aspects of the mobile radio channel

## RF signal

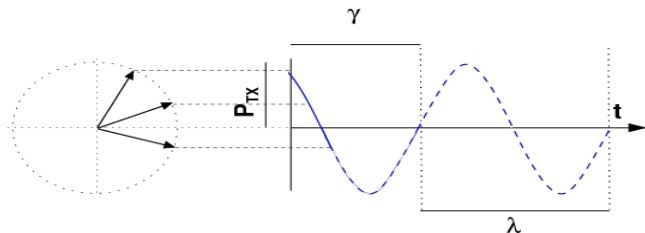
- Transmission power:
  - $P_{TX}[W]$
- Frequency:
  - $f[\frac{1}{sec}]$
- Phase offset:
  - $\gamma[\pi]$
- Wavelength:
  - $\lambda = \frac{c}{f}[m]$



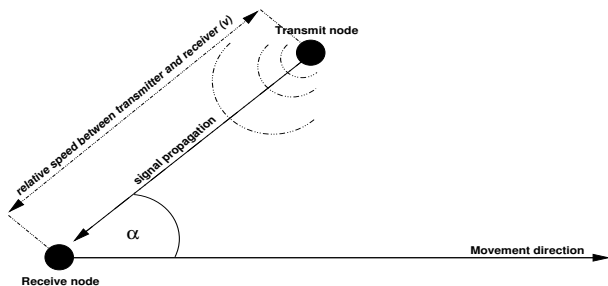
# Aspects of the mobile radio channel

## RF signal

- Real part of rotating vector
  - $\zeta = \Re(e^{j(ft+\gamma)})$
- Instantaneous signal strength:
  - $\cos(\zeta)$
- Rotation Speed: Frequency  $f$



# Aspects of the mobile radio channel



## Doppler Shift

- Frequency of received and transmitted signal may differ
- Dependent on relative speed between transmitter and receiver
- $f_d = \frac{v}{\lambda} \cdot \cos(\alpha)$



# Aspects of the mobile radio channel

## Noise

- In every realistic setting, noise can be observed on the wireless channel
- Typical noise power:<sup>1</sup>

$$P_N = -103dBm$$

- Value observed by measurements

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<sup>1</sup>3GPP: 3rd generation partnership project; technical specification group radio access networks; 3g home nodeb study item technical report (release 8). Technical Report 3GPP TR 25.820 V8.0.0 (2008-03) (March)

# Aspects of the mobile radio channel

## Noise

- Thermal noise can also be estimated analytically as

$$P_N = \kappa \cdot T \cdot B$$

- $\kappa = 1.3807 \cdot 10^{-23} \frac{J}{K}$ : Boltzmann constant
- $T$ : Temperature in Calvin
- $B$ : Bandwidth of the signal.

# Aspects of the mobile radio channel

## Example

- GSM system with 200kHz bands
- Average temperature: 300K
- Estimated noise power:

$$\begin{aligned}P_N &= \kappa \cdot T \cdot B \\ &= 1.3807 \cdot 10^{-23} \frac{\text{J}}{\text{K}} \cdot 300\text{K} \cdot 200\text{kHz} \\ P_N &= -120.82\text{dBm}\end{aligned}$$

# Aspects of the mobile radio channel

## Path-loss

- Signal strength decreases while propagating over a wireless channel
- Order of decay varies in different environments
- Impact higher for higher frequencies
- Can be reduced by antenna gain (e.g. directed)

Location	Mean Path loss exponent	Shadowing variance $\sigma^2$ (dB)
Apartment Hallway	2.0	8.0
Parking structure	3.0	7.9
One-sided corridor	1.9	8.0
One-sided patio	3.2	3.7
Concrete Canyon	2.7	10.2
Plant fence	4.9	9.4
Small boulders	3.5	12.8
Sandy flat beach	4.2	4.0
Dense bamboo	5.0	11.6
Dry tall underbrush	3.6	8.4

# Aspects of the mobile radio channel

## Path-loss

- For analytic consideration: Path-loss approximated
- Friis free-space equation:

$$P_{TX} \cdot \left( \frac{\lambda}{2\pi d} \right)^2 \cdot G_{TX} \cdot G_{RX}$$

# Aspects of the mobile radio channel

## Path-loss

$$P_{RX} = P_{TX} \cdot \left( \frac{\lambda}{2\pi d} \right)^2 \cdot G_{TX} \cdot G_{RX}$$

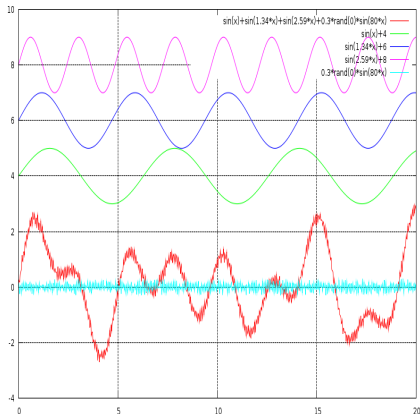
- Utilised in outdoor scenarios
  - Direct line of sight
  - No multipath propagation
- $d$  impacts the RSS quadratically
- Other values for the path-loss exponent  $\alpha$  possible.
- Path-loss:

$$PL^{FS}(\zeta_i) = \frac{P_{TX}(\zeta_i)}{P_{RX}(\zeta_i)}$$

# Aspects of the mobile radio channel

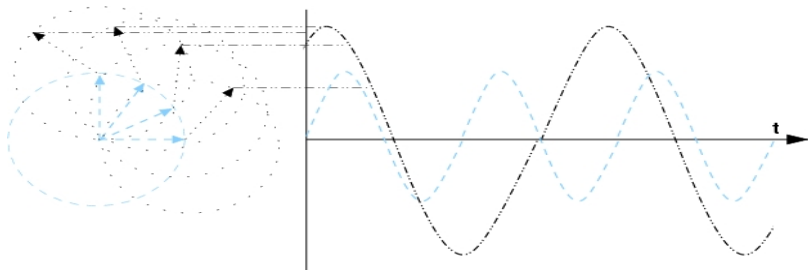
## Superimposition of RF signals

- The wireless medium is a broadcast channel
- Multipath transmission
  - Reflection
  - Diffraction
  - Different path lengths
  - Signal components arrive at different times
- Interference



$$\zeta_{\text{sum}} = \sum_{i=1}^l \Re \left( e^{j(f_i t + \gamma_i)} \right)$$

## Aspects of the mobile radio channel

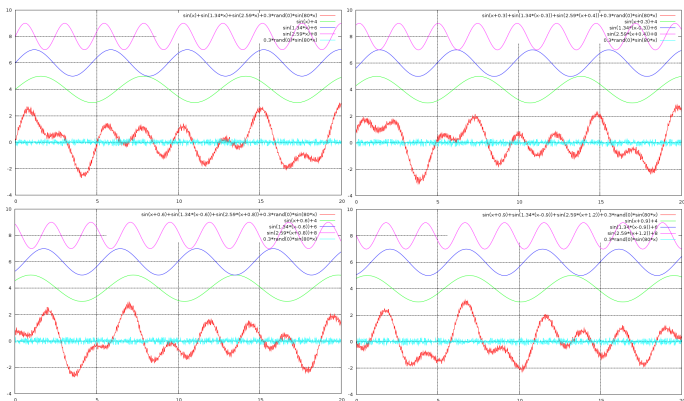


### Superimposition of RF signals

- At a receiver, all incoming signals add up to one superimposed sum signal
- Constructive and destructive interference
- Normally: Heavily distorted sum signal

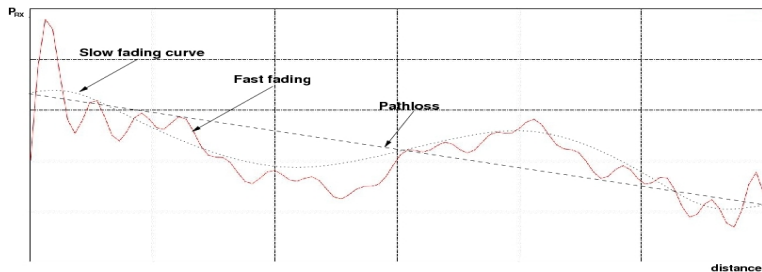


# Aspects of the mobile radio channel



- Channel conditions are dependent on time and location
- Independent channel conditions typically expected in a distance of  $\frac{\lambda}{2}$

# Aspects of the mobile radio channel



## Fading

- Signal quality fluctuating with location and time
- Slow fading
- Fast fading

# Aspects of the mobile radio channel

## Slow fading

- Result of environmental changes
- Temporary blocking of signal paths
- Changing reflection angles
- Movement in the environment
  - Trees
  - Cars
  - Opening/closing doors
- Amplitude changes can be modelled by log-normal distribution

# Aspects of the mobile radio channel

## Fast fading

- Signal components of multiple paths
- Cancellation of signal components
- Fading incursions expected in the distance of  $\frac{\lambda}{2}$
- Channel quality changes drastically over short distances
- Example: Low radio reception of a car standing in front of a headlight is corrected by small movement
- Stochastic models are utilised to model the probability of fading incursions
  - Rice
  - Rayleigh

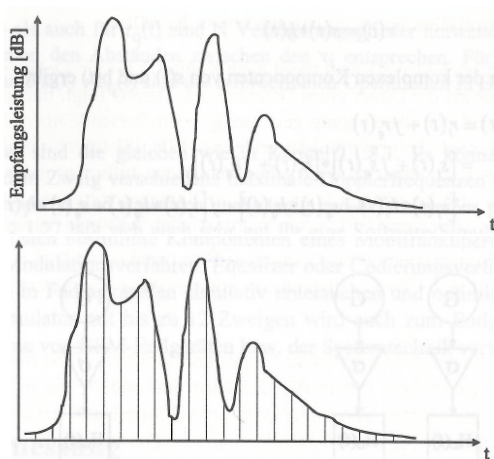
# Aspects of the mobile radio channel

## Simulation of frequency selective channels

- A common approach is to estimate the channel impulse response during a known training bit-sequence
- When the channel impulse response is known, signal distortions can be corrected
  - When the time axis is divided in discrete parts
  - We can derive discrete impulses for the energy in each of these parts

# Aspects of the mobile radio channel

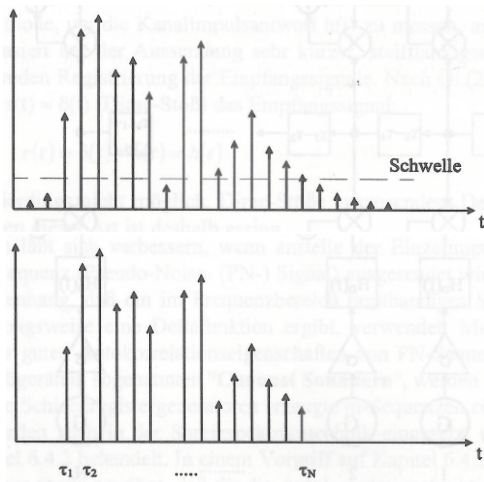
## Simulation of frequency selective channels<sup>2</sup>



<sup>2</sup>David, Benkner, Digitale Mobilfunksysteme, Teubner, 1996

# Aspects of the mobile radio channel

## Simulation of frequency selective channels



# Aspects of the mobile radio channel

## Channel estimation

- The easiest approach to estimate  $h(t)$  works in the time domain
- Based on sending very short impulses
- And registering the received signals
- The approach can be improved by utilising a pseudo-noise sequence instead of single identical impulses
- The inverse of the estimated impulse response is correlated  $\overline{h(t)^{-1}}$  with the received signal:

$$r(t) \cdot \overline{h(t)^{-1}} = s(t) \cdot h(t) \cdot \overline{h(t)^{-1}} \approx s(t)$$



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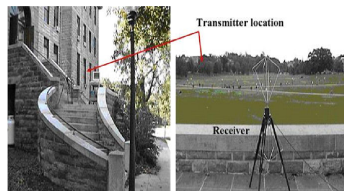
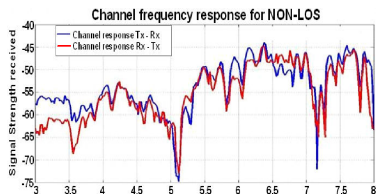
Secure keys from ambient audio

Conclusion

## Features of the RF channel

### Secure communication based on deep fades in the SNR<sup>3</sup>

- Communication partners agree on a threshold value
- Both nodes transmit repeatedly and alternately
- Channel characteristics are transformed to bit sequence
  - Signal envelope below threshold in timeslot: 1, else 0
- No specialised hardware required
  - Only threshold detectors which are already present in transceivers

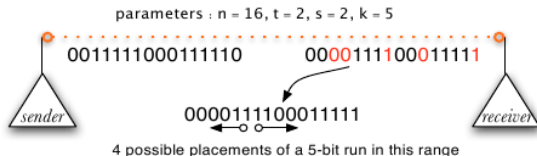


<sup>3</sup> Azimi-Sadjadi, Kiayias, Mercado, Yener, Robust Key Generation from Signal Envelopes in Wireless Networks, CCS, 2007

# Features of the RF channel

## Secure communication based on deep fades in the SNR

- Key generation
  - 1 Sender and receiver sample bit sequences
  - 2 Sender transmits key verification information to receiver
  - 3 Receiver decides on correct key by scanning through all possible error vectors

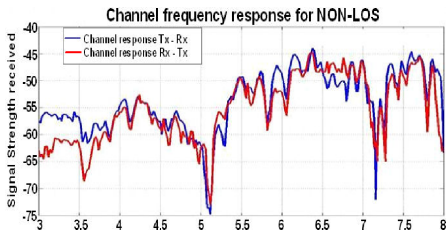


# Features of the RF channel

## Secure communication based on deep fades in the SNR

- Discussion

- 1 Computationally cheap approach
- 2 No special hardware required
- 3 Probably uneven distribution of 0 and 1 (Dependent on Channel characteristics and time slot)
- 4 Key generation in the presence of noise not optimal







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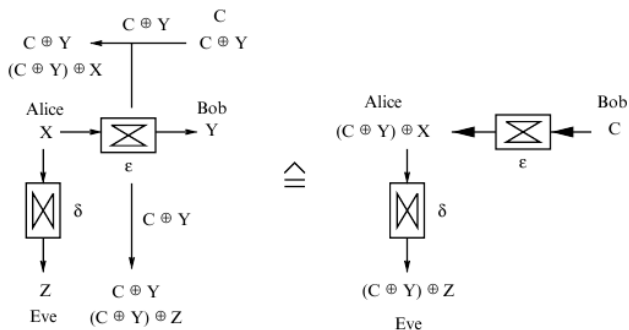
# Exploit noise for security among devices

- Utilise noise in a common communication channel
- Employ Fuzzy cryptography to mitigate noise for legitimate communication partners



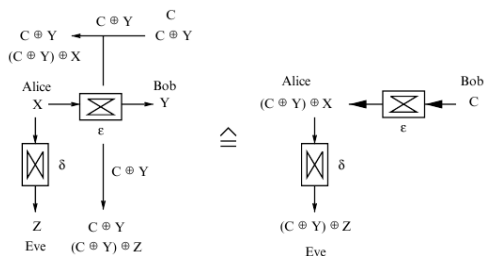
# Fuzzy cryptography

Utilise noise to improve security



# Fuzzy cryptography

Utilise noise to improve security

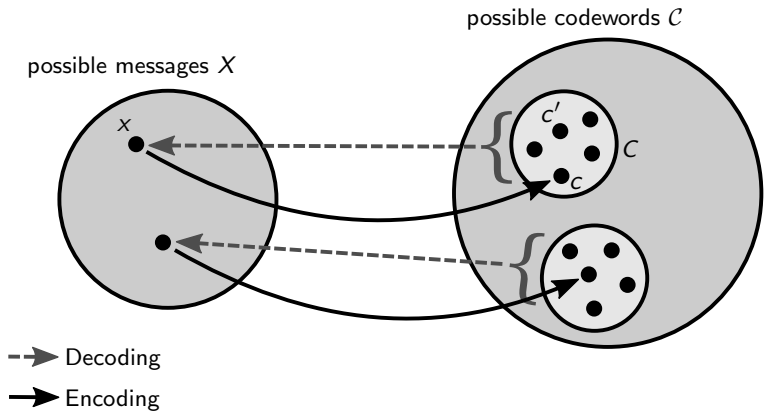


By inverting the direction of communication the noise in Eve's reception is increased above those in Alice's

Establishing of a secure key is possible over binary symmetric channel iff the noise in the reception of Eve's message is higher<sup>6</sup>

<sup>6</sup>Wyner, The wire-tap channel, Bell system Technical Journal, 54:1355-1387,1975

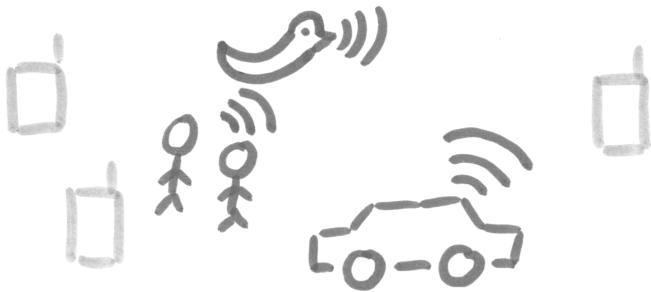
# Utilisation of Fuzzy cryptography to mitigate errors in keys



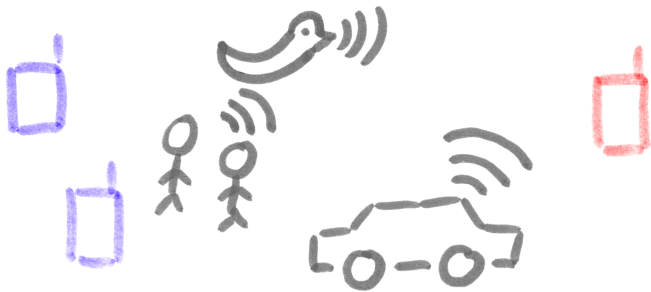
## Example: Spontaneous audio-based device pairing



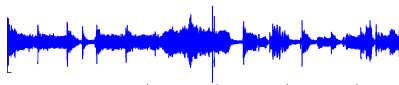
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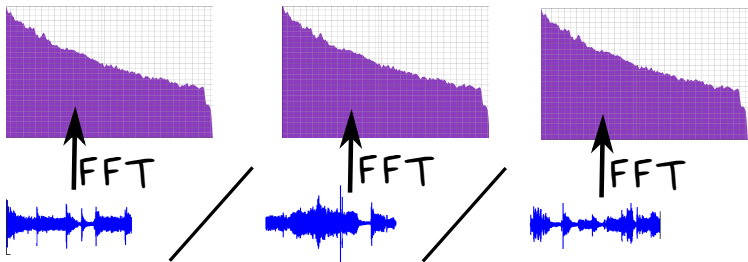


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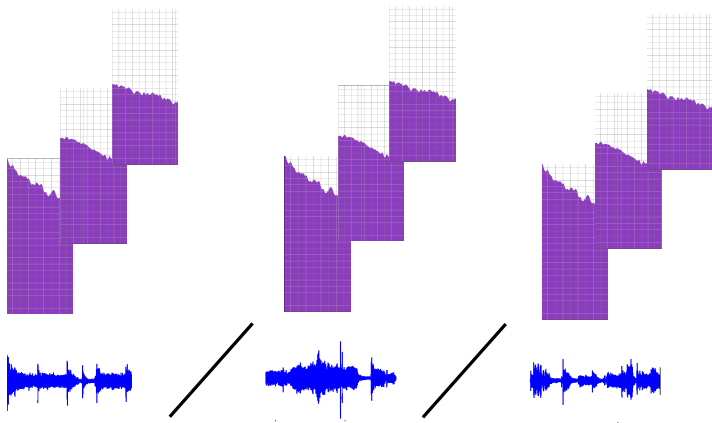




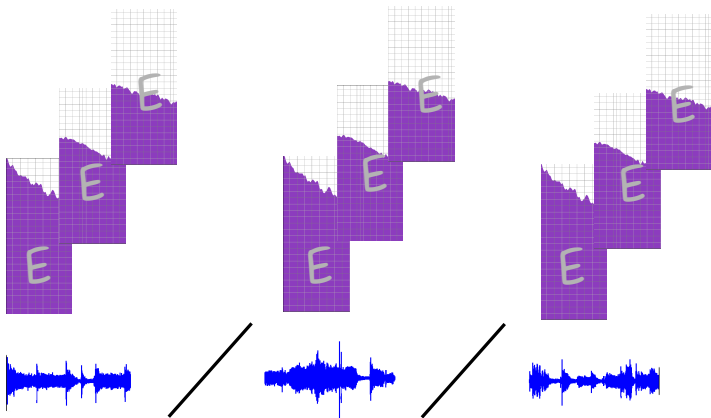
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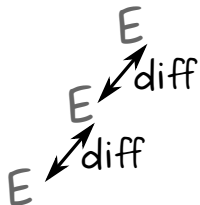
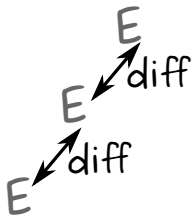
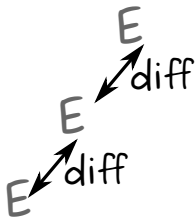
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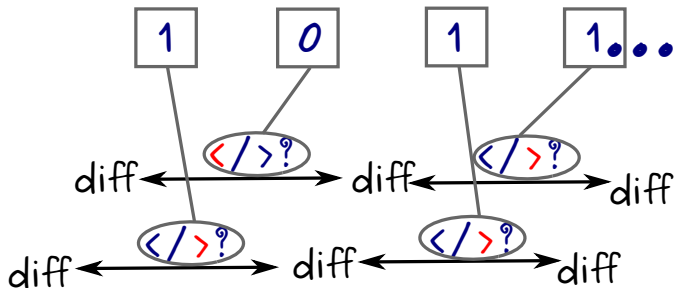
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## Example: Spontaneous audio-based device pairing



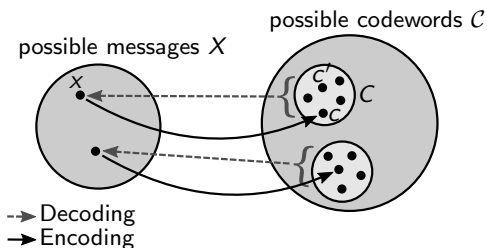
## Example: Spontaneous audio-based device pairing



# Encryption and decryption in the presence of noise

## Fuzzy cryptography

- We can, however, utilise error correcting codes to account for errors in an input sequence
- The general idea is to utilise a function that maps from a feature space to another, key space



## Example: Spontaneous audio-based device pairing



## Example: Spontaneous audio-based device pairing

f 10110...11011

f 11011...01110

f 10010...01011



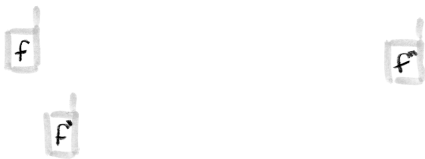
## Example: Spontaneous audio-based device pairing

f 10110...11011

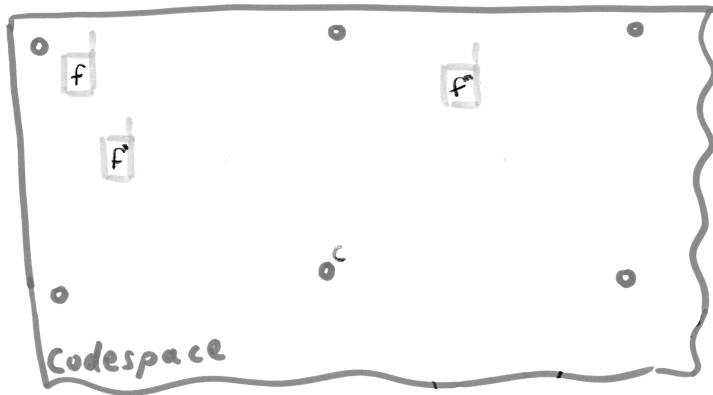
f' 11011...01110

F 10010...01011

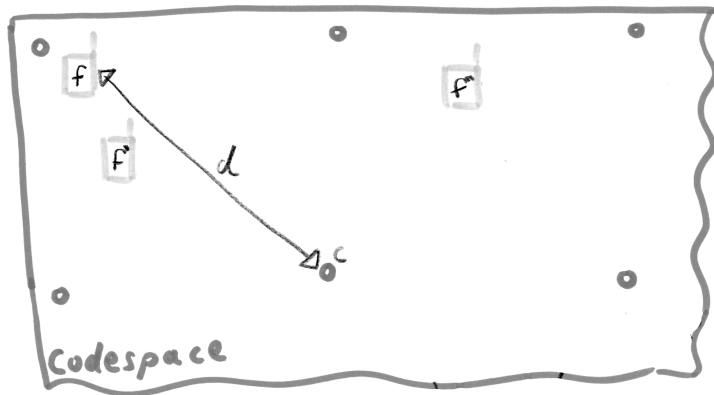
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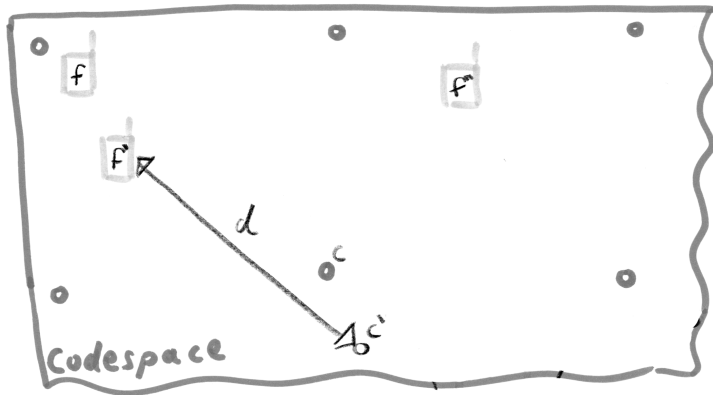
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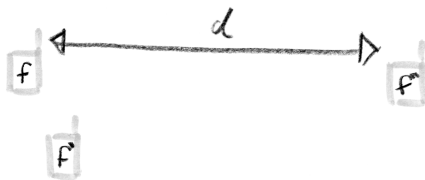
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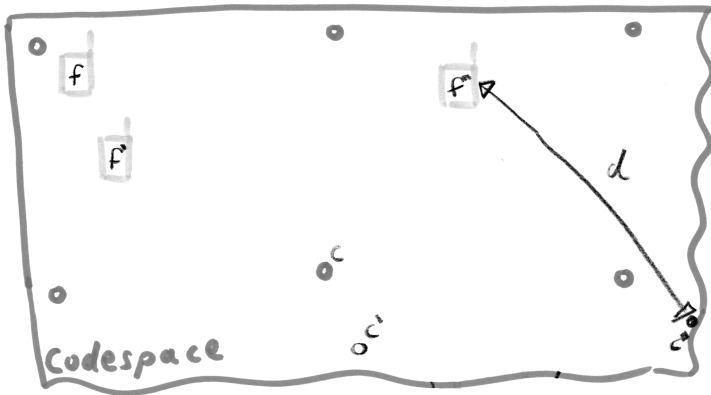
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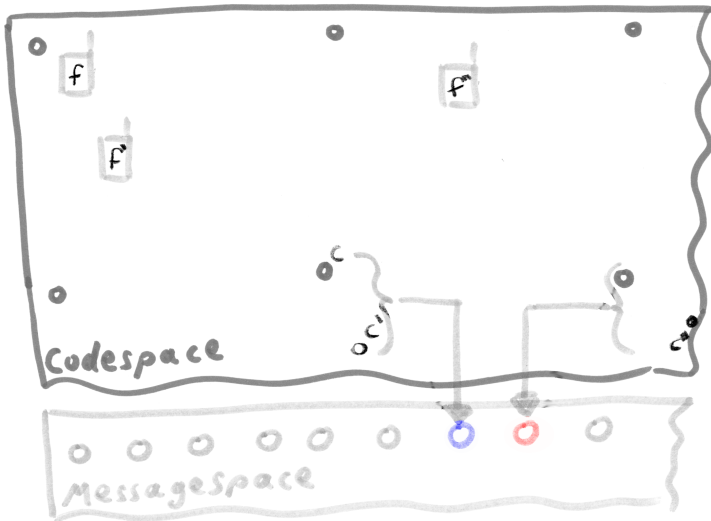


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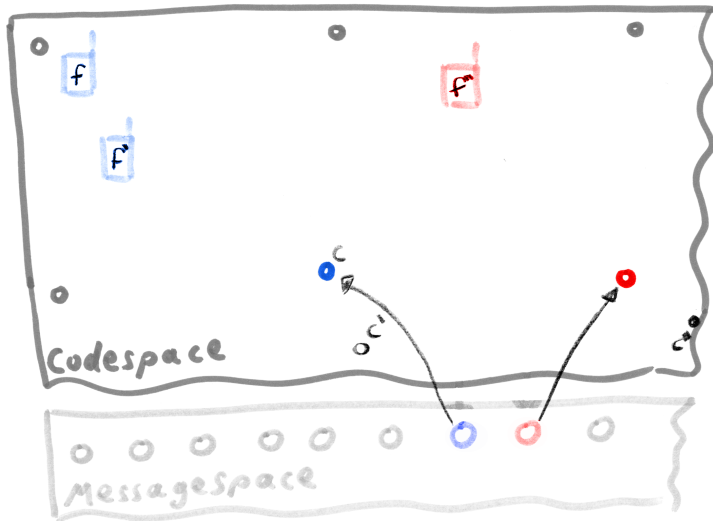




## Example: Spontaneous audio-based device pairing



## Example: Spontaneous audio-based device pairing



# Fuzzy cryptography

## Fuzzy Commitment

Traditional cryptographic systems rely on secret bit-strings.

When key contains errors (e.g. noise or mistake), decryption fails.

Rigid reliance on perfectly matching secret keys makes classical cryptographic systems less practicable in noisy systems.

**Fuzzy commitment:** cryptographic primitive to handle independent random corruptions of bits in a key.

# Fuzzy cryptography

## Fuzzy Commitment

Traditional cryptographic systems rely on secret bit-strings for secure management of data.

A **cryptographic commitment scheme** is a function

$$G : C \times X \rightarrow Y$$

To commit a value  $\kappa \in C$  a witness  $x \in X$  is chosen uniformly at random and  $y = G(\kappa, x)$  is computed.

A decommitment function takes  $y$  and a witness to obtain the original  $\kappa$

$$G^{-1} : Y \times X \rightarrow C$$

# Fuzzy cryptography

## Fuzzy Commitment

A well defined commitment scheme shall have two basic properties.

**Binding** It is infeasible to de-commit  $y$  under a pair  $(\kappa', x')$  such that  $\kappa \neq \kappa'$

**Hiding** Given  $y$  alone, it is infeasible to compute  $\kappa$

# Fuzzy cryptography

## Fuzzy Commitment

Fuzzy commitment is an encryption scheme that allows for the use of approximate witnesses

Given a commitment  $y = G(\kappa, x)$ , the system can recover  $\kappa$  from any witness  $x'$  that is close to but not necessarily equal to  $x$ .

Closeness in fuzzy commitment is measured by Hamming distance.

# Fuzzy cryptography

## Fuzzy Commitment

A fuzzy commitment scheme may be based on any (linear) error-correcting code

An error-correcting code consists of

**Message space**  $M \subseteq F^a$  ( $F^i$  denotes all strings of length  $i$  from a finite set of symbols  $F$ )

**Codeword space**  $C \subseteq F^b$  with  $(b > a)$

**Bijection**  $\theta : M \leftrightarrow C$

**Decoding function**  $f : C' \rightarrow C \cup \perp$  (The symbol  $\perp$  denotes the failure of  $f$ )

The function  $f$  maps an element in  $C'$  to its nearest codeword in  $C$ .

# Fuzzy cryptography

## Fuzzy Commitment

Noise of physical function may be viewed as the difference  $c - c'$

Decoding function  $f$  applied to recover original codeword  $c$

This is successful if  $c'$  is close to  $c$ . In this case:  $c = f(c')$

The minimum distance of the code is the smallest distance  $d = Ham(c - c')$  between any two codewords  $c, c' \in C$

Typically, it is possible to correct at least  $\frac{d}{2}$  errors in a codeword



# Fuzzy cryptography

## Fuzzy Commitment

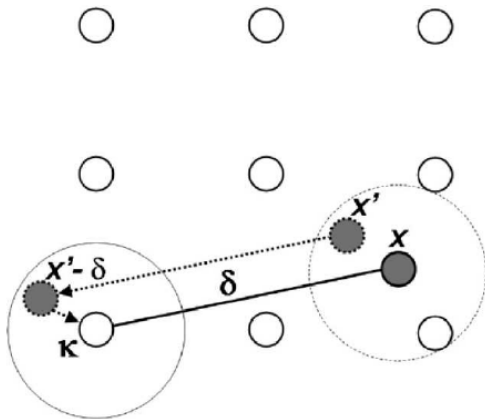
For fuzzy commitment, the secret key  $\kappa$  is chosen uniformly at random from the codeword space  $C$ . Then,

- 1 An offset  $\delta = x - \kappa$  is computed
- 2 A one-way, collision-resistant hash function is applied to obtain  $h(\kappa)$
- 3  $y = (\delta, h(\kappa))$  is made public
- 4  $\kappa' = f(x' - \delta)$  is computed
- 5 It is possible to de-commit  $y$  under a witness  $x'$  with  $\text{Ham}(x, x') < \frac{d}{2}$

Once  $\kappa$  is recovered, its correctness may be verified by computing  $z = h(\kappa)$

# Fuzzy cryptography

## Fuzzy Commitment



# Questions?

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# Literature

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- P. Tulyas, B. Skoric, T. Kevenaar: Security with Noisy Data – On private biometrics, secure key storage and anti-counterfeiting, Springer, 2007.
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